

### Links between prime ideals in serial Noetherian rings

The concept of ideal links appeared in work of Jategaonkar [1]. Second layer links between prime ideals in fully bounded Noetherian (FBN) rings appeared in work of Müller (2).

Müller and Singh [3] defined the links between prime ideals in serial rings. So, it is of interest to find  $Q \dashv\vdash P$  implies  $Q \dashv\vdash P$ ; where  $Q$  and  $P$  are prime ideals. Here ' $Q \dashv P$ ' denotes the link from  $Q$  to  $P$  in a serial ring and ' $Q \dashv\vdash P$ ' denotes the link from  $Q$  to  $P$  in a Noetherian ring. Here we were able to prove that the answer is affirmative, when  $P$  and  $Q$  are maximal ideals.

- [1] Jategaonkar A V. 1973. Injective modules and classical localization in Noetherian rings. Bull. Amer. Math. Soc. 79(1973)152-157.
- [2] Müller B J. 1976. Localization in fully bounded Noetherian rings. Pacific J. Math. 67 (1976) 233-245.
- [3] Müller B J. and Singh, S. 1990. Uniform modules over serial rings II, Proc. Conf. On Rings and Modules, Athens, Ohio, 1989, Lecture Notes in Math. 1448. Springer Verlag. 1990, 25-32.